

Question 1	
<p>QUESTION 5</p> <p>A random sample of the petrol price per litre at 50 petrol stations produced a sample mean of \$1.52 and a standard deviation of \$0.14.</p> <p>Based on this sample and using a z-value of 1.5, an approximate confidence interval for μ is</p> <p>(A) (\$1.47, \$1.57) (B) (\$1.48, \$1.56) (C) (\$1.49, \$1.55) (D) (\$1.50, \$1.54)</p>	Simple Familiar Technology Active 2022
Question 2	
<p>QUESTION 10</p> <p>A random variable is normally distributed with a mean μ. An approximate 95% confidence interval for μ from a sample from this distribution is (209.7, 221.9).</p> <p>An approximate confidence interval for μ based on the same sample, using a confidence level greater than 95%, could be</p> <p>(A) (206.5, 223.3) (B) (208.5, 223.1) (C) (210.6, 221.0) (D) (215.8, 228.0)</p>	Simple Familiar Technology Active 2021
Question 3	
<p>QUESTION 2</p> <p>The standard deviation for the scores of 1000 students completing an entry test at a certain university is 13.</p> <p>A researcher takes repeated random samples of the test results, with each sample comprising 40 scores, and calculates the mean score for each sample.</p> <p>Determine the standard deviation of the distribution of the sample mean scores.</p> <p>(A) 3.08 (B) 2.06 (C) 0.41 (D) 0.33</p>	Simple Familiar Technology Active 2023

Question 4						
<p>QUESTION 15 (7 marks)</p> <p>The travel time for students attending a certain university is assumed to be normally distributed, with a population mean of 25.2 minutes and standard deviation of 4.7 minutes.</p> <p>Travel times are collected from a random sample of 120 of these students and used to calculate a sample mean, \bar{X}_1, in minutes.</p> <p>a) Determine $P(\bar{X}_1 \leq 25)$. [2 marks]</p> <p>b) Given $P(\bar{X}_1 > k) = 0.9$, determine the value of k. [1 mark]</p> <p>Travel times are collected from a second random sample of the university's students and used to calculate a second sample mean, \bar{X}_2, in minutes.</p> <p>c) Given $P(\bar{X}_2 \leq 25) \approx 0.4$, determine the number of students in the second sample. [4 marks]</p>	Simple Familiar Technology Active 2023					
Question 5						
<p>QUESTION 17 (7 marks)</p> <p>An object with a mass of 2 kg is released from rest at the top of a 1 metre long frictionless plane inclined at 30° to the horizontal.</p> <p>A force of P newtons acting parallel to the plane opposes the motion of the object as it travels down the plane.</p> <p>When the object is x metres from the top of the plane, its velocity is v m s⁻¹.</p> <p>Given $P = \frac{4}{\sqrt{4-x^2}}$, determine x when $v = 2$.</p>	Complex Familiar Technology Active 2021					
Question 6						
<p>QUESTION 19 (7 marks)</p> <p>Consider the following information.</p> <table border="1" style="margin: 10px auto; border-collapse: collapse;"> <tr> <td rowspan="2" style="padding: 5px; text-align: center;">Continuous random variable X</td> <td style="padding: 5px;">mean</td> <td style="padding: 5px;">$E(X) = \mu = \int_{-\infty}^{\infty} x p(x) dx$</td> </tr> <tr> <td style="padding: 5px;">variance</td> <td style="padding: 5px;">$Var(X) = \int_{-\infty}^{\infty} (x - \mu)^2 p(x) dx$</td> </tr> </table> <p>The waiting time (minutes) until workers at a certain call centre receive their nth phone call, where $n \in \mathbb{Z}^+$, is a random variable T with probability density function</p> $f(t) = \begin{cases} \frac{k^n t^{n-1}}{(n-1)!} e^{-\frac{t}{3}}, & t \geq 0 \\ 0, & \text{otherwise} \end{cases}$ <p>where k is a positive constant.</p> <p>The waiting time until workers receive their 5th call is collected from a random sample of 80 workers. Determine the probability that the mean waiting time from this sample is more than 16 minutes.</p>	Continuous random variable X	mean	$E(X) = \mu = \int_{-\infty}^{\infty} x p(x) dx$	variance	$Var(X) = \int_{-\infty}^{\infty} (x - \mu)^2 p(x) dx$	Complex Unfamiliar Technology Active 2021
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